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## Actively mode-locked diode laser with a mode spacing stability of $\sim 6 \times 10^{-14}$

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*Abstract.* We have studied mode spacing stability in an actively mode-locked external-cavity semiconductor laser. It has been shown that, in the case of mode spacing pulling to the frequency of a highly stable external microwave signal produced by a hydrogen standard (stability of  $4 \times 10^{-14}$  over an averaging period  $\tau = 10$  s), this configuration ensures a mode spacing stability of  $5.92 \times 10^{-14}$  ( $\tau = 10$  s).

*Keywords:* diode laser, active mode locking, beat spectrum, mode spacing stability.

A number of reports [1-11] addressed the operation of multimode external-cavity semiconductor lasers (ECSLs), which are convenient tools for the study of many physical processes in a laser diode. Zakharyash et al. [8] examined the effect of microwave pump frequency  $f_{\rm mw}$  on the intermode beat spectrum ( $f_{\rm im}$ ) of ECSLs. Pumping at a frequency  $f_{\rm mw} \approx 2f_{\rm im}$  was shown to cause a frequency pulling effect. This paper presents results of further experimental work, concerned with the use of this effect for mode spacing stabilisation. A significant improvement of the experimental setup allowed us to measure frequency stability with an accuracy of ~10<sup>-14</sup>.

Figure 1 shows a block diagram of the experimental setup. To simplify the configuration, a mode spacing of 150 MHz (cavity length of ~1 m) was chosen in order to pump the ECSL at a frequency  $f_{\rm mw} \approx 300$  MHz. As previously [8], microwave modulation at twice the mode spacing frequency was used, which allowed us to avoid the overlap of the microwave frequency  $f_{\rm mw}$  with the intermode beat frequency  $f_{\rm im}$  and hence to avoid the parasitic effect of  $f_{\rm mw}$  on mode spacing measurement results. The external-cavity length was adjusted so that  $f_{\rm mw}/2$  lay in the range where the intermode beat spectrum had a minimum width [8]. We used an ILPN-820-100 semiconductor laser, with a front-facet reflectivity of ~3% and lasing threshold of ~40 mA.

A 100-MHz signal from a hydrogen (H) standard (1) (stability of  $4 \times 10^{-14}$  over an averaging period  $\tau = 10$  s and  $1 \times 10^{-14}$  over  $\tau = 100$  s) was multiplied to a frequency of 300 MHz (2) and directed through a microwave power amplifier (5) to the semiconductor laser (9) through capacitive decoupling (we used a standard drive current source, which is

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Figure 1. Block diagram of the experimental setup: (1) hydrogen frequency standard; (2) multiplier; (3) frequency synthesiser; (4) frequency meter; (5) microwave power amplifier; (6) mixer; (7) LFF; (8) limiting amplifier; (9) ECSL; (10) photodetector; (11) spectrum analyser.

omitted in Fig. 1). In addition, the H standard provided a highly stable signal (5 MHz) to a frequency meter (4) in order to synchronise its time base with that of the microwave pump signal. The ECSL output was focused onto a photodetector (10). The signal was then directed to a spectrum analyser (11) and mixer (6), where it was mixed with a highly stable signal from a frequency synthesiser (3) ( $f_h = 149999800$  Hz). Next, the signal was sent to a low-frequency filter (LFF) (7), which separated a signal of frequency  $f_m = 200$  Hz. The low-frequency signal was then directed to a limiting amplifier (8) and the frequency meter (4).

In our experiments, we measured the signal period ( $f_m = 200 \text{ Hz}$ ) at averaging times  $\tau = 10$  and 100 s. The number of measurements, N, for these  $\tau$  values was 100 and 40, respectively. The experimental data are summarised in Table 1. It follows from these data that, at  $\tau = 10$  s, the standard deviation (SD) from the average mode spacing is  $8.889 \times 10^{-6} \text{ Hz}$ . A detailed analysis of the sample (N = 100) demonstrates that it consists of alternating measurement regions that have different SDs (Fig. 2). Such sequences consist of several (five to seven) successive measurements with an SD of  $8.025 \times 10^{-6} \text{ Hz}$  (Table 1). In such intervals, stability reaches  $5.355 \times 10^{-14}$ .

Comparison of frequency stability at  $\tau = 10$  and 100 s demonstrates that, with increasing  $\tau$ , the mode spacing stability degrades, whereas the stability of the master hydrogen standard improves from  $4 \times 10^{-14}$  at  $\tau = 10$  s to  $10^{-14}$  at  $\tau = 100$  s. One possible cause of this is the small detuning of the external cavity in the frequency pulling range (±2 MHz [8]), which

Average frequency/Hz	SD from the average signal/Hz (at $f_{\rm m} = 200$ Hz)	Averaging time/s	Number of measurements	Stability
$1.5 \times 10^{8}$	$8.889 \times 10^{-6}$	10	100	$5.928\times10^{-14}$
$1.5 \times 10^{8}$	$8.602 \times 10^{-5}$	100	40	$6.807\times10^{-13}$
$1.5 \times 10^{8}$	$8.025\times10^{-6}$	10	7	$5.35\times10^{-14}$

**Table 1.** Frequency stability as a function of time.



Figure 2. Time scatter of the signal period (200 Hz,  $\tau = 10$  s) measured with a frequency meter within measurement regions in an experimental sample.

results in a systematic error and, as a consequence, in degradation of mode locking conditions (variation in amplitude). This conclusion is supported by the asymmetry of the histogram in Fig. 3, which represents the mode spacing distribution about a centre frequency of 150 MHz.



**Figure 3.** Mode spacing  $(f_{\rm im})$  distribution about a centre frequency of 150 MHz ( $N = 100, \tau = 10$  s).

Consider briefly some features of ECSL operation observed in our experiments. Note first of all that, under certain conditions [8], a three-mirror laser system operates in the multimode regime. The considerable nonlinearity in the refractive index of the semiconductor [9] leads to the formation of a dynamic carrier concentration grating in the medium at the mode spacing frequency  $f_{\rm im}$ . The interaction of the active medium with the cavity field may lead to multimode operation, depending on the drive current. When an external signal modulating the injection current at a frequency  $f_{\rm mw}$ close to the mode spacing frequency  $f_{\rm im}$  is applied to a laser with a nonlinear medium, the interaction of wave processes leads to active mode locking. The mode locking process is accompanied by broadening of the optical spectrum (from 1 to 10 nm) and significant narrowing of the observed individual components of the intermode beat spectrum (from ~20 MHz in the case of free-running laser operation to ~1 kHz in the case of mode locking), which was also shown earlier [8]. As the difference between  $f_{\rm mw}$  and  $f_{\rm im}$  decreases, further interaction between vibrational processes is observed, leading to frequency pulling to the frequency of the stronger external signal.

The pulling effect is so strong that even a relatively slight reduction in external influences (for example, placing the laser in a specially designed container) ensures high intermode beat frequency stability and a sufficiently broad optical spectrum in the phase-locking band.

Thus, mode spacing stability is determined to a significant extent by the microwave oscillator stability, which can be used for making an actively mode-locked semiconductor laser with a highly stable mode spacing. At the same time, the effect of acoustic noise and a number of external-cavity parameters (such as angular detunings of the external mirror and feedback efficiency) on mode spacing stability should be studied in detail in order to ensure reliable actively mode-locked laser operation.

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